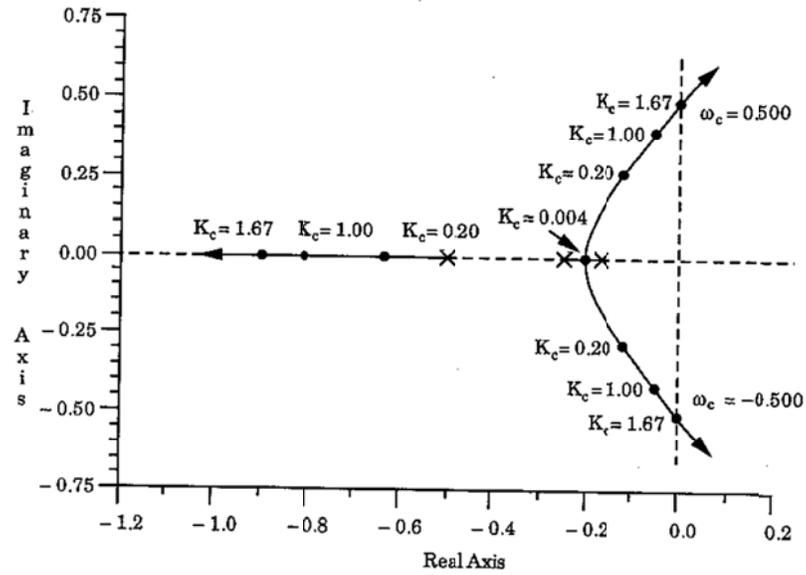


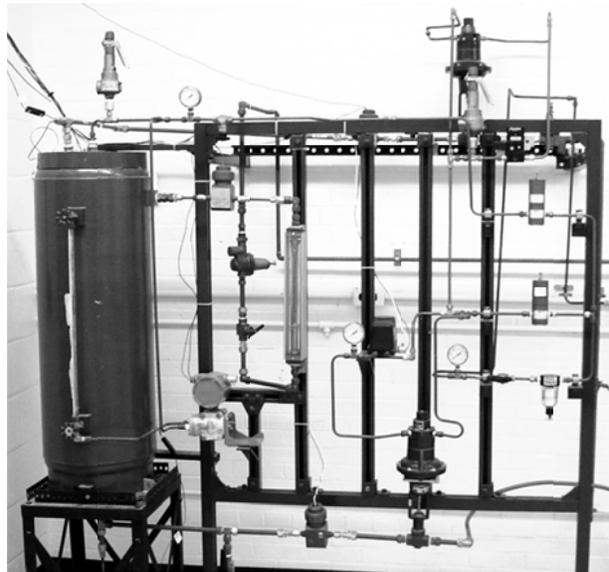


5. [6 pts] What quantities are plotted in a set of Bode plots?

6. [4 pts] For the system with the following root locus diagram, at what values of  $K_c$  will the closed-loop process be stable?

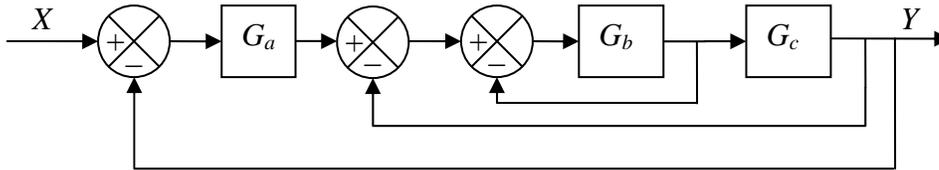


7. [6 pts] Identify (with an arrow and a brief description) three components which are part of the *control loop* in this level control system.



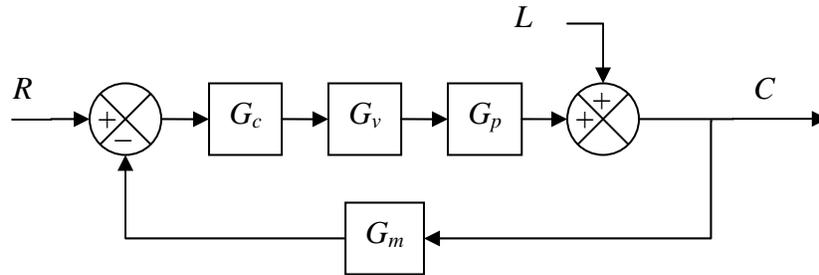
Part II (Open Book) [58 pts]:

1. [14 pts] Consider the following block diagram:



- [10 pts] Find a general expression for  $Y(s)/X(s)$ .
- [4 pts] Evaluate  $Y(s)/X(s)$  for  $G_a = 5$ ,  $G_b = \frac{1}{2s}$ , and  $G_c = 3$ .

2. [22 pts] Consider the standard process control loop below with  $G_m = 1$ ,  
 $G_p = \frac{2}{(5s+1)(7s+1)}$ ,  $G_v = \frac{1}{s+1}$ .



- a. [10 pts] For a P controller with  $K_c = 3$ , what is the percent offset after a setpoint change?
- b. [12 pts] Use direct synthesis to create a different controller for this process. Design the new closed loop transfer function to be  $G_{CL} = \frac{1}{(\tau_c s + 1)^2}$  and choose  $\tau_c$  to create a pole-zero cancellation to remove the lag in the  $G_v$  term.

3. [22 pts] Consider the second-order process with one zero,  $G(s) = \frac{s+2}{(s+1)^2}$ , in a feedback loop with measurement device and actuator with negligible dynamics and a P-only controller.
- [8 pts] Theoretically, for what range of  $K_c$  will the closed-loop process be stable?
  - [14 pts] Sketch a root-locus diagram for values of  $K_c > 0$ . Use the diagram to note ranges of  $K_c$  where the process is stable/unstable and where the response will be oscillatory.